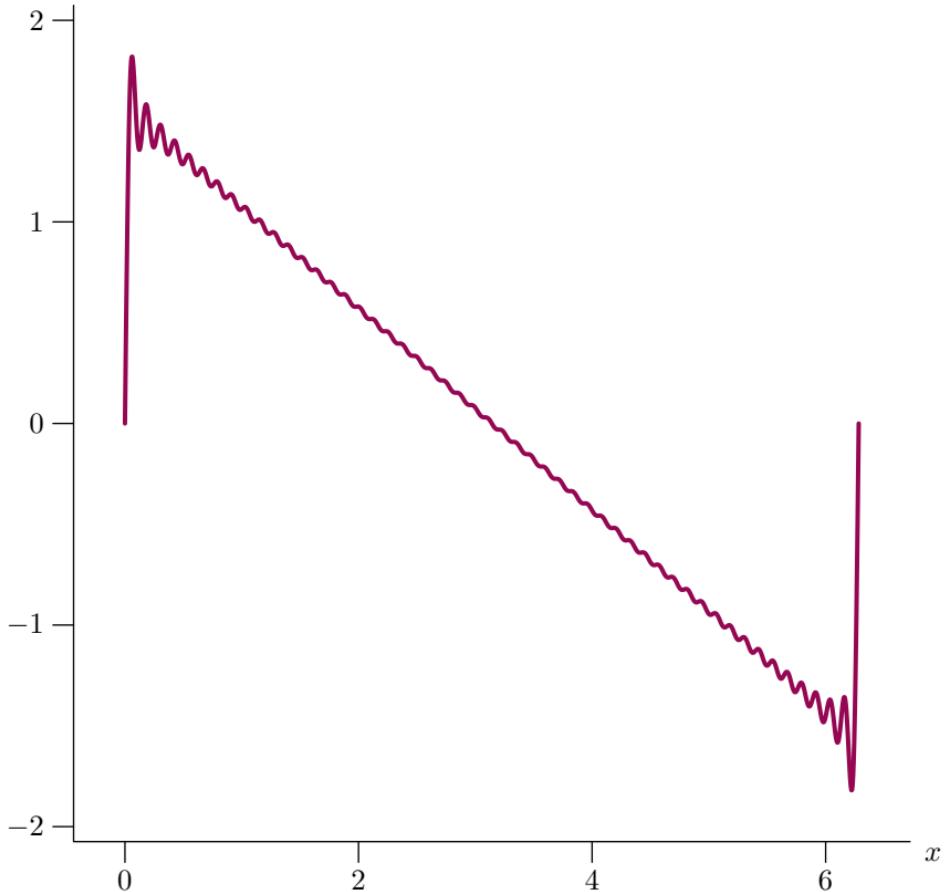


$S_n(x)$ Figure 1 – représentation de  $S_{50}(x)$  pour  $x \in [0, 2\pi]$

\PHGibbs [a=-1, b=2, n=20, nb=250, pscale=7]

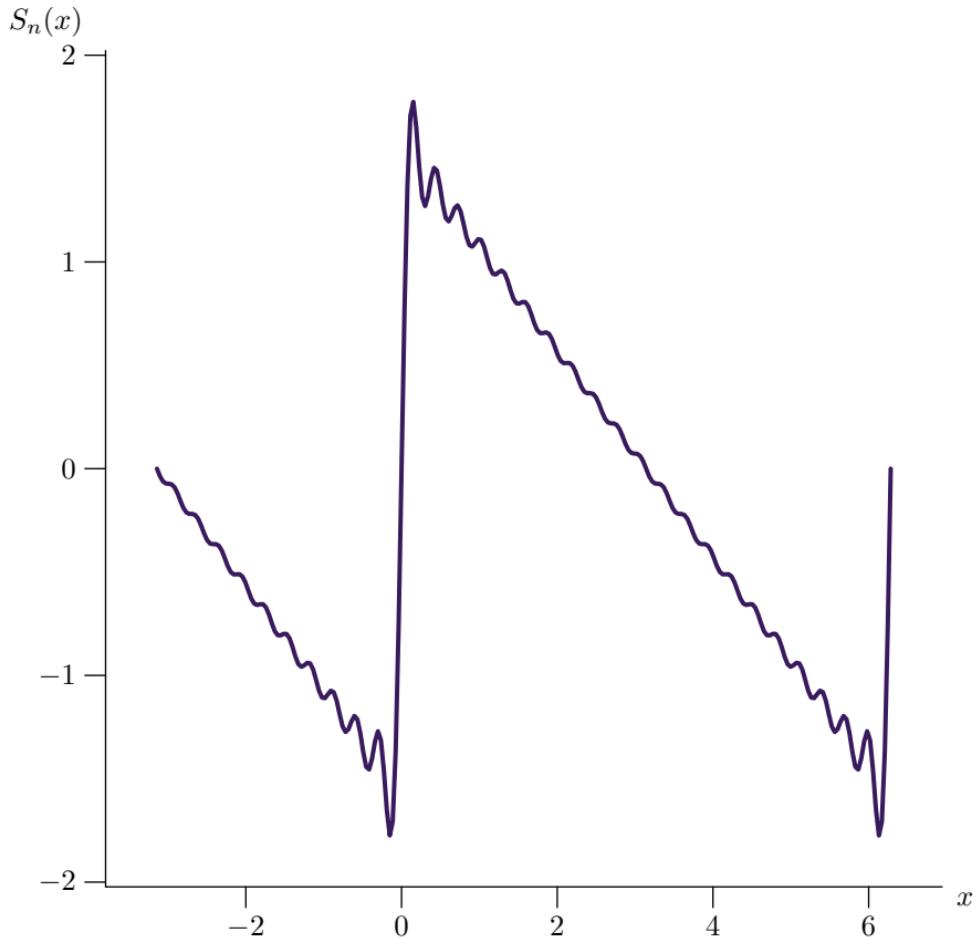


Figure 2 – représentation de  $S_{20}(x)$  pour  $x \in [-\pi, 2\pi]$

```
\PHGibbs [a=-2, b=0, n=30, nb=250, pscale=7]
```

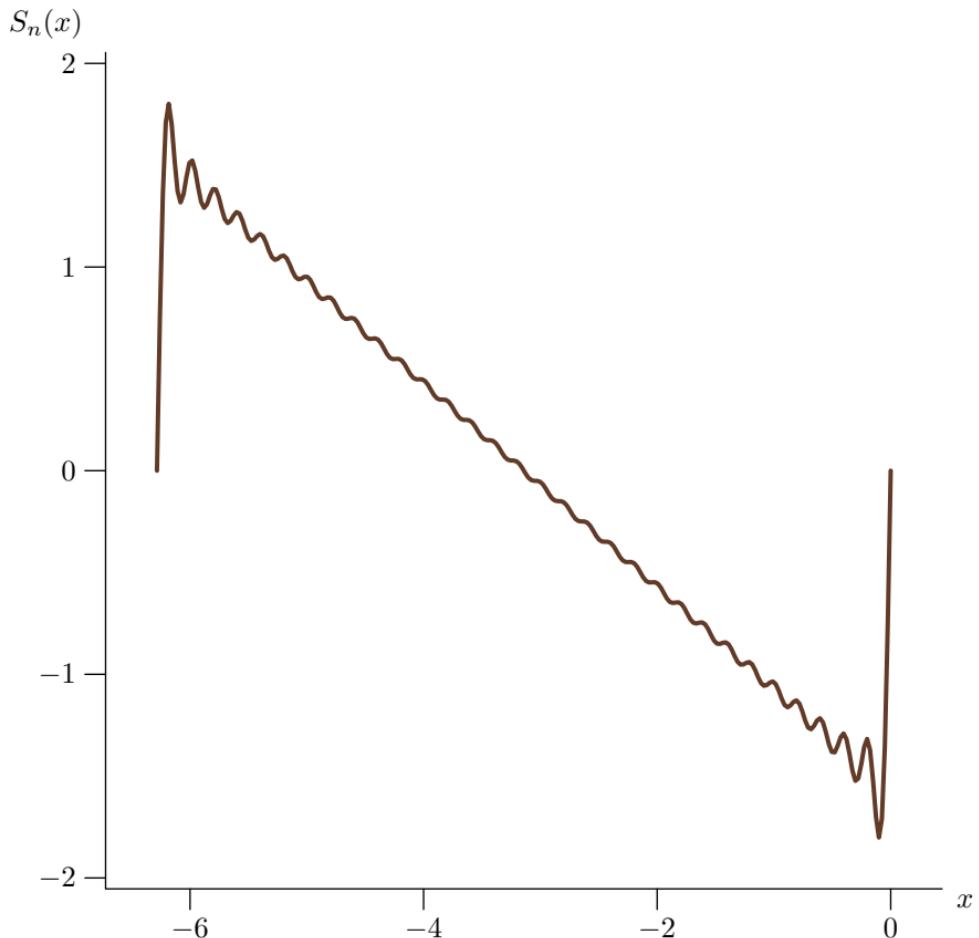


Figure 3 – représentation de  $S_{30}(x)$  pour  $x \in [-2\pi, 0]$

\PHGibbs [a=-2, b=1, n=10, nb=250, pscale=11]

$S_n(x)$

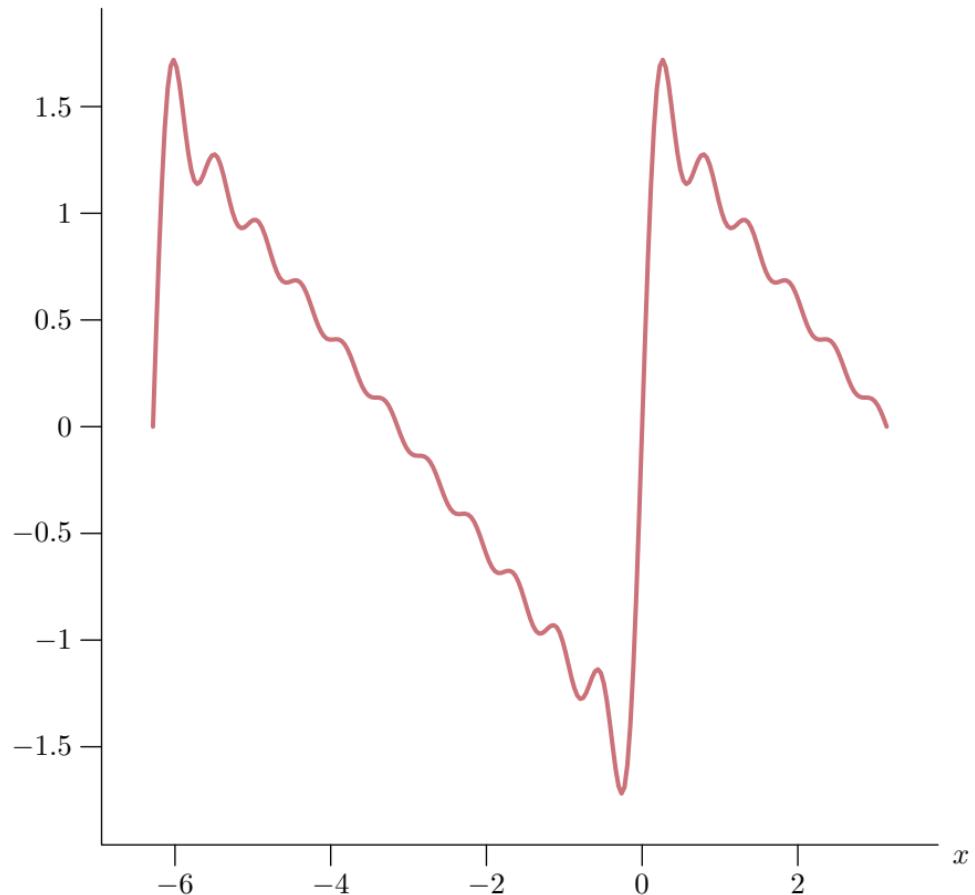


Figure 4 – représentation de  $S_{10}(x)$  pour  $x \in [-2\pi, \pi]$

\PHGibbs [a=-3, b=-1, n=50, nb=450, pscale=7]

$$S_n(x)$$

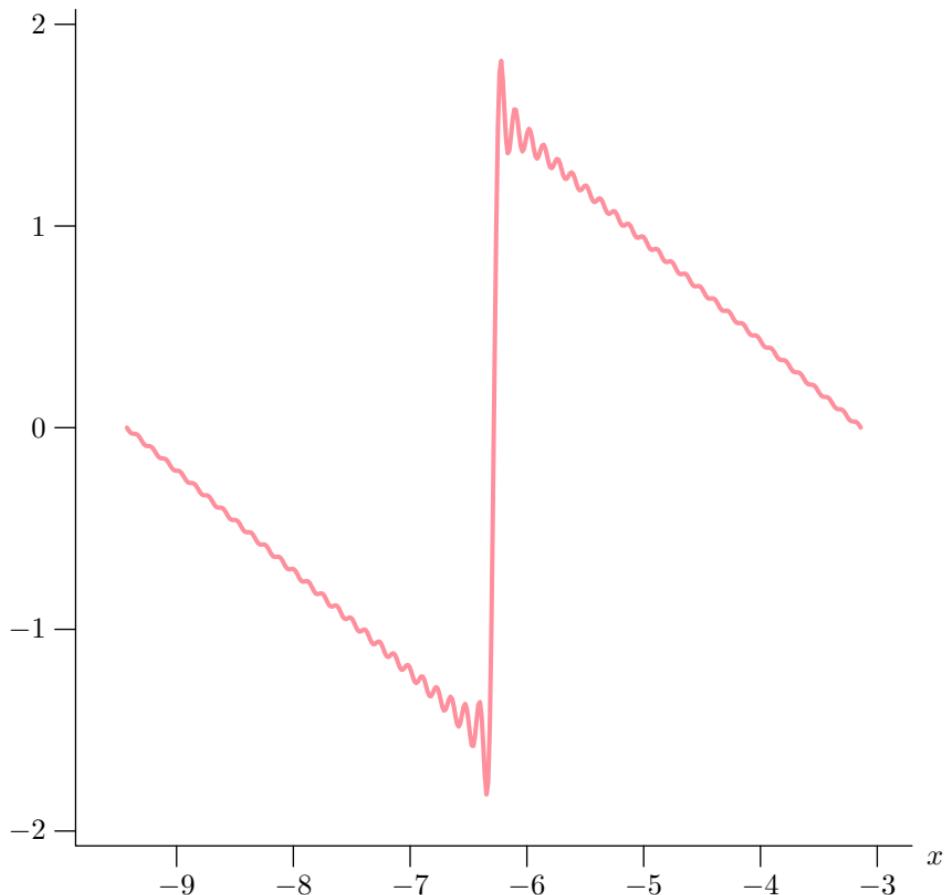


Figure 5 – représentation de  $S_{50}(x)$  pour  $x \in [-3\pi, -\pi]$

\PHGibbs [a=2, b=6, n=200, nb=500, pscale=5]

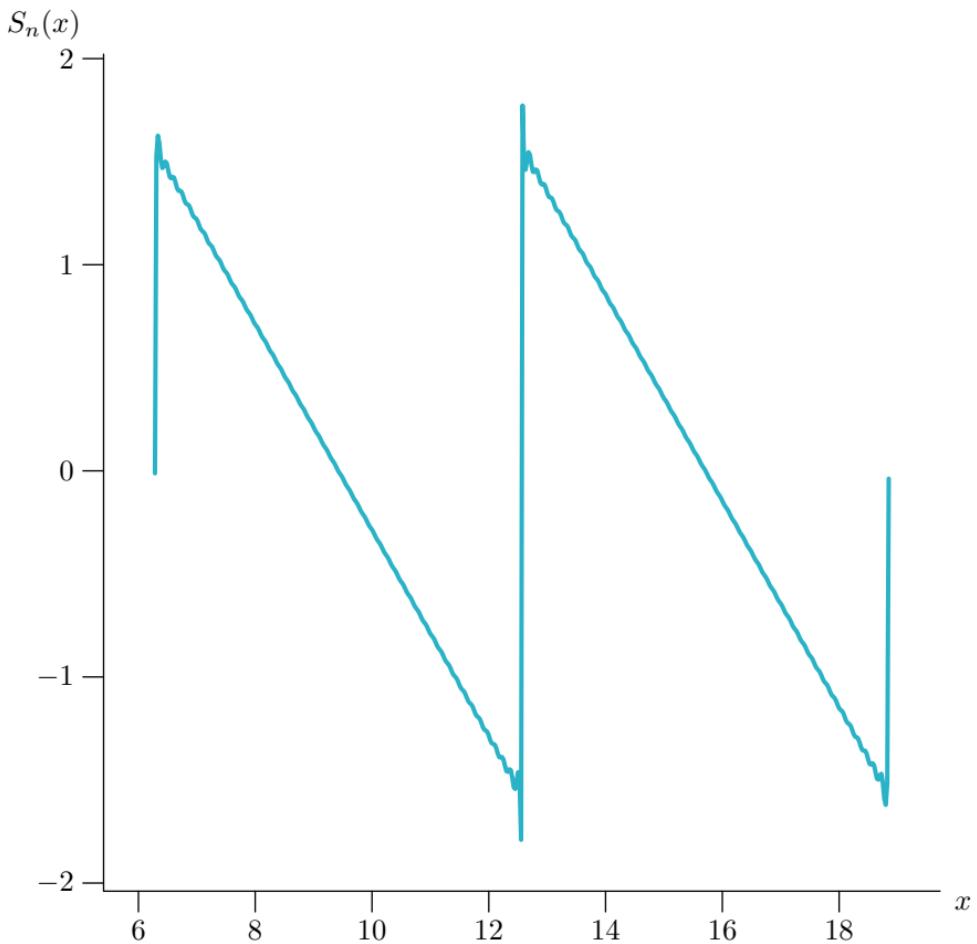


Figure 6 – représentation de  $S_{200}(x)$  pour  $x \in [2\pi, 6\pi]$

```
\PHGibbs [a=-5, b=-3, n=10, nb=500, pscale=13]
```

$$S_n(x)$$

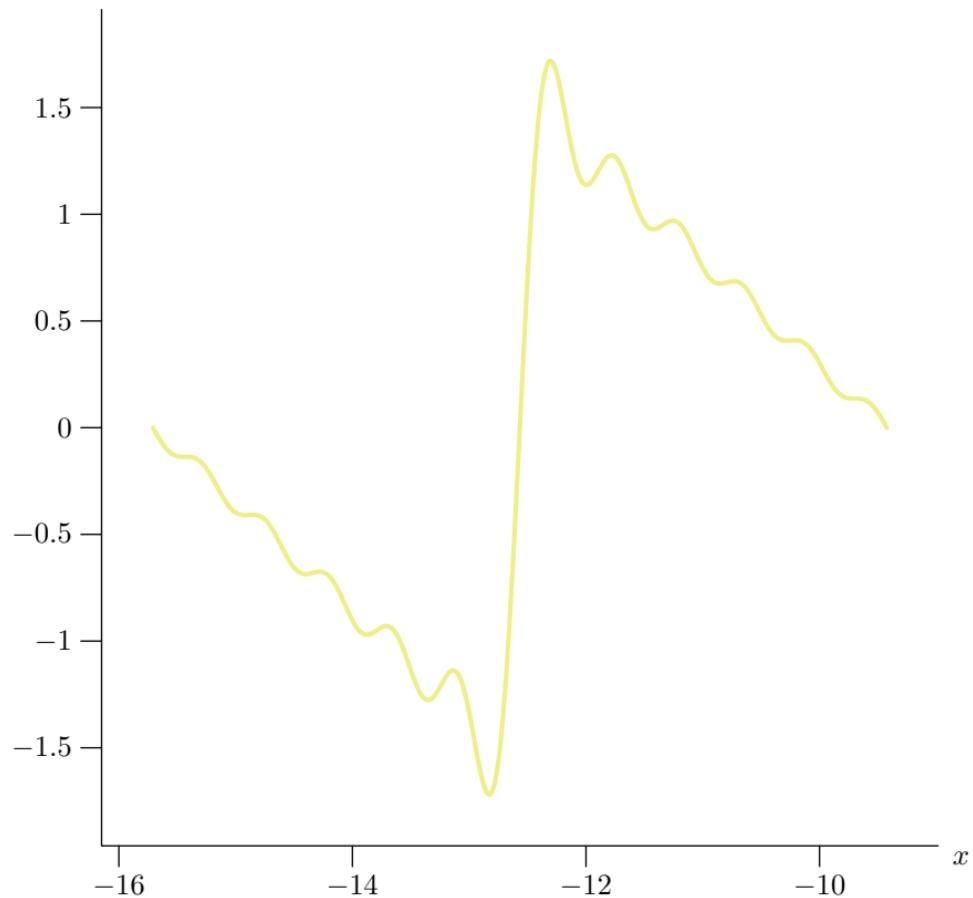


Figure 7 – représentation de  $S_{10}(x)$  pour  $x \in [-5\pi, -3\pi]$